

Applications of Fuzzy Soft Digraphs in Several Domains

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Abstract:

Throughout this exploration project, the idea of intuitionistic fluffy delicate sets is coordinated with charts, which at last prompts the improvement of another structure for the organization of intuitionistic fluffy delicate data frameworks. It is feasible to deal with a wide assortment of data in a clearer way by utilizing this system, which makes it conceivable to do as such. The idea of utilizing explicit sorts of intuitionistic fluffy delicate diagrams is presented for the absolute first time in this article. occurrences of diagrams that are remembered for this classification are emphatically edge sporadic intuitionistic fluffy delicate charts and friendly edge standard intuitionistic fluffy delicate diagrams. Both of these charts are cases of something that can be tracked down in this class. With regards to fluffy delicate charts, every one of these classifications has occasions of its particular kinds. To accomplish the target of giving a clarification to these stand-out ideas, we utilize various models, and we additionally explore a portion of the qualities that are straightforwardly related with them. As a feature of the extent of our examination, we expect to apply intuitionistic fluffy delicate diagram to an issue that includes independent direction. our is something that we intend to do. Likewise, we depict our strategies as a calculation that is utilized in this application's execution. Moreover, we guarantee that this data is given.

Keywords: Fuzzy Soft Digraphs, Applications, Intuitionistic Fuzzy Graph, Domains, Fuzzy Soft Environment.

I.INTRODUCTION

With regards to recognizing unclear things in a parametric design, fluffy delicate set hypothesis is a viable system that is used to evaluate the vulnerability. It likewise plays a huge capability in the recognizable proof of fluffy items. Because of the presence of a few sorts of vulnerabilities inside a solitary numerical structure, the methodologies that are currently being used to examine the cutthroat relations among objects have a few impediments.

Inside the extent of this exploration piece, we present an original system of fluffy delicate hypergraphs, which sends out the qualities of fluffy delicate sets to hypergraphs simultaneously. The creative idea of fluffy delicate rivalry hypergraphs adds to an expansion in the effectiveness of contest techniques. To make sense of the different relations that exist inside a coordinated fluffy delicate organization, we utilize the ideas of level, profundity, association, and convergence at the same time.

This is achieved through the investigation of explicit sorts of fluffy delicate rivalry hypergraphs. In this paper, we present the ideas of fluffy delicate neighborhood hypergraphs and fluffy delicate k -rivalry hypergraphs. To figure the strength of contest in fluffy delicate coordinated diagrams, we assemble explicit calculations that lessen the intricacy of computation for existing fluffy based non-defined models.

These algorithms are designed to find the optimal solution. Using a situation involving decision-making, we investigate the significance of the theory that we have proposed. In conclusion, we give a comparison analysis that includes graphical, numerical, and theoretical comparisons with other methods that are already in use and that support the applicability and benefits of our suggested methodology respectively. Zadeh is the person who previously introduced the idea of fluffy set hypothesis, which offers data with respect to the quantity of potential things in an objective set that is determined by a quality.

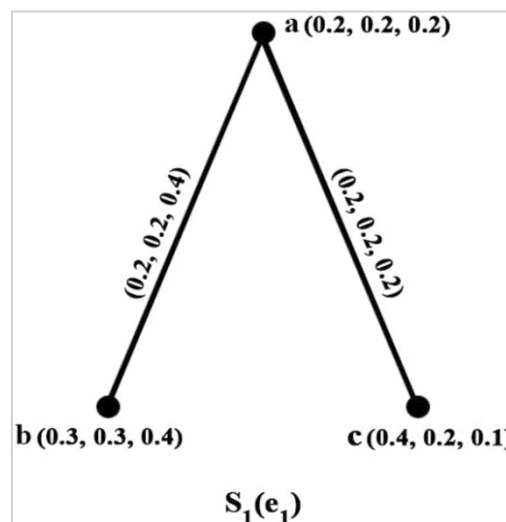


Figure 1: Fuzzy Soft Digraphs

Unpleasant set hypothesis is an overall numerical methodology that is utilized to change information in view of set properties, though this approach is a solitary boundary approach. The assumption of rough set theory is that each and every object in a set is connected to a particular property, and that

objects that share the same property or collection of qualities are grouped together into a single property class. In rough set theory, a fundamental tool is the relation that is formed based on the similarity between the two sets.

There are many different applications for fuzzy soft digraphs, ranging from:

- **Social Network Analysis:** Being aware of the degree to which individuals within a social network are connected to one another, in situations where friendships may not be easily classified as "close" or "distant".
- **Decision-Making:** The process of determining the amount to which different aspects of a decision have an impact within the context of the decision, with varying degrees of relevance is referred to as the decision-making process.
- **Transportation Systems:** In situations where the levels of congestion may be ambiguous and depend on a wide range of diverse factors, the process of simulating traffic flow is essential.

Rarely is the world a simple black and white affair. A great number of events that occur in the actual world involve ties and connections that hold varied degrees of strength or certainty. The powerful tool known as fuzzy soft digraphs, which comes from the field of soft computing, provides a method for analyzing networks while taking into consideration the ambiguities that are present.

Through this introduction, we explore into the fascinating world of fuzzy soft digraphs, examining their fundamental concepts as well as the possible applications that they could have in a variety of different fields. In order to get started, we will first discuss classical digraphs, which serve as the basis upon which fuzzy soft digraphs evolve. In the following section, we will discuss fuzzy sets and soft sets, which are mathematical structures that are able to represent ambiguity and incompleteness. In conclusion, we will examine how fuzzy soft digraphs have the ability to mix various components in order to produce a versatile framework for modelling complicated networks that contain vague information.

II.LITERATURE REVIEW

Ahmad and Kharal's (2009) A turning point in the area was reached when they began investigating fuzzy soft sets and looked into the theoretical underpinnings and possible uses of this innovative method. Their research illuminated the theoretical foundations and real-world applications of fuzzy soft sets, offering a thorough comprehension of the concept. Ahmad and Kharal established the foundation for later studies in this field by clarifying the basic ideas guiding fuzzy soft sets. Their work opened the door for the creation of creative applications in a variety of fields and improved the theoretical foundation pertaining to fuzzy soft sets. The fields of fuzzy systems and decision sciences have greatly benefited from Ahmad and Kharal's painstaking investigation and perceptive insights.

Akram and Nawaz (2016) made significant contributions to the discipline by researching fuzzy soft graphs and using them in real-world applications. They introduced a clever structure for demonstrating complex frameworks and handling genuine critical thinking situations by broadening the possibility of fluffy delicate sets to chart hypothesis. Their work explained the associations and collaborations between fluffy delicate sets and diagram hypothesis, featuring the areas of common advantage. By using a novel strategy, Akram and Nawaz broadened the understanding of fuzzy systems and provided

fresh insights into the range of problems that can be solved with fuzzy soft sets. Their contributions improved the theoretical underpinnings of fuzzy soft sets and created new opportunities for applied research in problem domains using graphs.

Akram, Ali, and Alshehri (2017) tackled the urgent need for reliable methods for making decisions in unpredictable and complex settings. In view of m-polar fluffy delicate harsh sets, they proposed a novel multi-characteristic dynamic strategy that gave a functional response in light of fluffy delicate set hypothesis. Their work has advanced our theoretical understanding of fuzzy systems and given decision-makers practical tools to use in complex real-world situations. Akram, Ali, and Alshehri showed the value of fuzzy soft sets in improving decision-making processes through their thorough study and creative approaches, opening the door for more knowledgeable and efficient decision-making procedures in a variety of fields.

Akram, Ashraf, and Sarwar (2014) researched state of the art uses of intuitionistic fluffy digraphs in choice emotionally supportive networks, further developing dynamic across a scope of enterprises. Their research, which made use of the special qualities of intuitionistic fuzzy sets, offered insightful information about the efficient use of these sets to challenging decision-making situations. Through the clarification of the fundamental ideas behind intuitionistic fuzzy digraphs, Akram, Ashraf, and Sarwar increased the range of instruments at the disposal of decision-makers, empowering them to make more sophisticated and well-informed choices. They showed the flexibility and helpfulness of intuitionistic fluffy sets in an assortment of dynamic circumstances, from medical services to back, through their interdisciplinary methodology.

Alcantud, Santos-García, (2015) give a ground-breaking study on the use of soft set-based decision-making processes in glaucoma diagnosis. The authors present a novel method that improves diagnostic efficiency and accuracy in the medical industry by utilising soft set theory. Their work highlights the potential for enhancing clinical decision-making processes and patient outcomes by demonstrating the usefulness of soft set approaches in healthcare decision support systems.

Atanassov (2012) gives a thorough explanation of intuitionistic fuzzy sets (IFS), including their theoretical underpinnings and real-world applications. Atanassov makes a substantial contribution to the understanding and progress of IFS theory through his seminal work, clarifying its potential in a variety of domains, including image processing, pattern recognition, and decision analysis. For scholars and professionals interested in delving into the complexities of IFS and its broad consequences, this book provides a solid foundation.

Bustince et al. (2016) provide a thorough historical analysis of the several kinds of fuzzy sets and how they interact. The writers explain the development of fuzzy set theory from classical to more specialized forms like intuitionistic fuzzy sets and soft sets by tracing its evolution through a thorough analysis. Their research highlights the significance of comprehending the historical context in influencing current research in this field and offers insightful information on the conceptual framework of fuzzy sets and their applications.

Cağman and Karatas (2013) present intuitionistic fluffy delicate set hypothesis and its applications to the subject of dynamic hypothesis. The creators' review brings about a cross breed structure that consolidates intuitionistic fluffy sets and delicate sets, giving an adaptable technique to overseeing

imprecision and vulnerability in direction. Their research advances the theoretical underpinnings of fuzzy set theory and offers useful approaches to deal with difficult decision-making situations in a variety of contexts.

III. GRAPHS IN INTUITIONISTIC FUZZY SOFT ENVIRONMENT

Graphical representations that are utilised within the framework of intuitionistic fuzzy sets and soft sets are referred to as Graphs in the context of the Intuitionistic Fuzzy Soft Environment. The purpose of these graphs is to facilitate the visualization of linkages, patterns, and structures that are present inside complex systems that are characterized by imprecision and ambiguity.

In the Intuitionistic Fuzzy Soft Environment, graphs typically consist of nodes and edges. Nodes are used to represent items or entities, and edges are used to signify relationships or connections between the nodes and the edges. Nodes and edges in these graphs, on the other hand, are associated with degrees of membership (μ) and non-membership (ν), which reflects the uncertain and imprecise character of the information that is being represented. This is in contrast to the usual crisp graphs.

Through the consolidation of the thoughts of intuitionistic fluffy sets and delicate sets, the idea of old style diagrams is developed by the intuitionistic fluffy delicate charts. It is possible for each element in intuitionistic fuzzy sets to have several degrees of membership, non-membership, and hesitation. These degrees are designed to capture the uncertainty and ambiguity that are inherent in real-world data. Soft sets, on the other hand, make it possible to describe information that is ambiguous and unclear without placing stringent boundary requirements on the entity being represented.

When it comes to a variety of disciplines, such as decision support systems, pattern recognition, and information retrieval, the graphical representation of intuitionistic fuzzy soft graphs makes it possible for analysts and decision-makers to visualize and analyse complicated relationships and dependencies. The incorporation of degrees of membership and non-membership into these graphs provides a more nuanced understanding of uncertainty and imprecision, which in turn facilitates decision-making processes that are more informed.

By and large, diagrams in the Intuitionistic Fuzzy Delicate Climate offer a helpful structure for displaying and breaking down complex frameworks under vulnerability. These charts likewise give experiences into the basic dubiousness and uncertainty that is available in information from the real world.

In this specific circumstance, we consider $\mathcal{P}(V)$ to be the assortment of all intuitionistic fuzzy sets (IFSs) of V , while $\mathcal{P}(E)$ is the assortment of all IFSs acquired from E . A show was made in regards to the idea of intuitionistic fuzzy delicate charts:

Definition 1.

An ordered three-tuple is the representation of an intuitionistic fuzzy soft graph on a nonempty set V . $\mathcal{G} = (\Phi, \Psi, M)$ such that

- (i) The collection of parameters denoted by M is not empty,
- (ii) (Φ, M) an intuitionistic fuzzy soft set that is superimposed on V ,

(iii) (Ψ, M) represents a fuzzy relation on the basis of intuition V , i.e., $\Psi: M \rightarrow \mathcal{P}(V \times V)$

where $\mathcal{P}(V \times V)$ is fuzzy power set with intuitionistic,

(iv) $(\Phi(e), \Psi(e))$ is an intuitionistic fuzzy graph, for all $e \in M$

That is,

$$\Psi\mu(e)(uv) \leq \min(\Phi\mu(e)(u), \Phi\mu(e)(v)), \quad (1)$$

$$\Psi\nu(e)(uv) \leq \max(\Phi\nu(e)(u), \Phi\nu(e)(v)) \quad (2)$$

such that

$$\Psi\mu(e)(uv) + \Psi\nu(e)(uv) \leq 1, \forall e \in M, u, v \in V. \quad (3)$$

Note that

$$\Psi\mu(e)(uv) = \Psi\nu(e)(uv) = 0, \forall uv \in V \times V - E, e \in M. \quad (4)$$

(Φ, M) An intuitionistic fuzzy delicate vertex is alluded to as (Ψ, M) , while an intuitionistic fuzzy delicate edge is ordinarily alluded to as $(, M)$.

Thus, $((\Phi, M), (\Psi, M))$ what is known as an intuitionistic fuzzy delicate chart is a diagram that

$$\Psi\mu(e)(uv) \leq \min(\Phi\mu(e)(u), \Phi\mu(e)(v)), \quad (5)$$

$$\Psi\nu(e)(uv) \leq \max(\Phi\nu(e)(u), \Phi\nu(e)(v)) \quad (6)$$

such that $\Psi\mu(e)(uv) + \Psi\nu(e)(uv) \leq 1, \forall e \in M, u, v \in V$. To put it another way, an intuitionistic fuzzy delicate chart is a group of intuitionistic fuzzy diagrams that has been enhanced for boundaries.

Definition 2.

Let $G = (\Phi, \Psi, M)$ be an intuitionistic fuzzy delicate chart that addresses the diagram of G^* . If the capability $H(e)$ is a friendly edge completely unpredictable intuitionistic fuzzy diagram for all $e \in A$, then the chart G is respected to be a friendly edge absolutely sporadic intuitionistic fuzzy delicate chart.

To express it another way, an intuitionistic fuzzy delicate chart [also known as] It is said that G is a friendly edge completely unpredictable intuitionistic fuzzy delicate diagram if and provided that two adjoining edges have unmistakable all out degrees in $H(e)$ for any e that has a place with the arrangement of every conceivable variable.

Example 1. Think about a fresh chart $G = (V, E)$ to such an extent that $V = \{u1, u2, u3, u4\}$ and $E = \{u1u2, u2u3, u3u1, u1u4, u2u4, u3u4\}$. Let $P = \{e1, e2, e3, e4\}$ be a bunch of all boundaries and $M = \{e1, e2, e3\} \subset P$. Let (Φ, M) Being an intuitionistic fuzzy delicate set over V , with an intuitionistic fuzzy estimate capability $\Phi: M \rightarrow \mathcal{P}(V)$, in this unique situation, suggests that.

$H(e3) = (\Phi(e3), \Psi(e3))$ Figure illustrates the values of G that correspond to the parameters $e1, e2$, and $e3$, respectively.

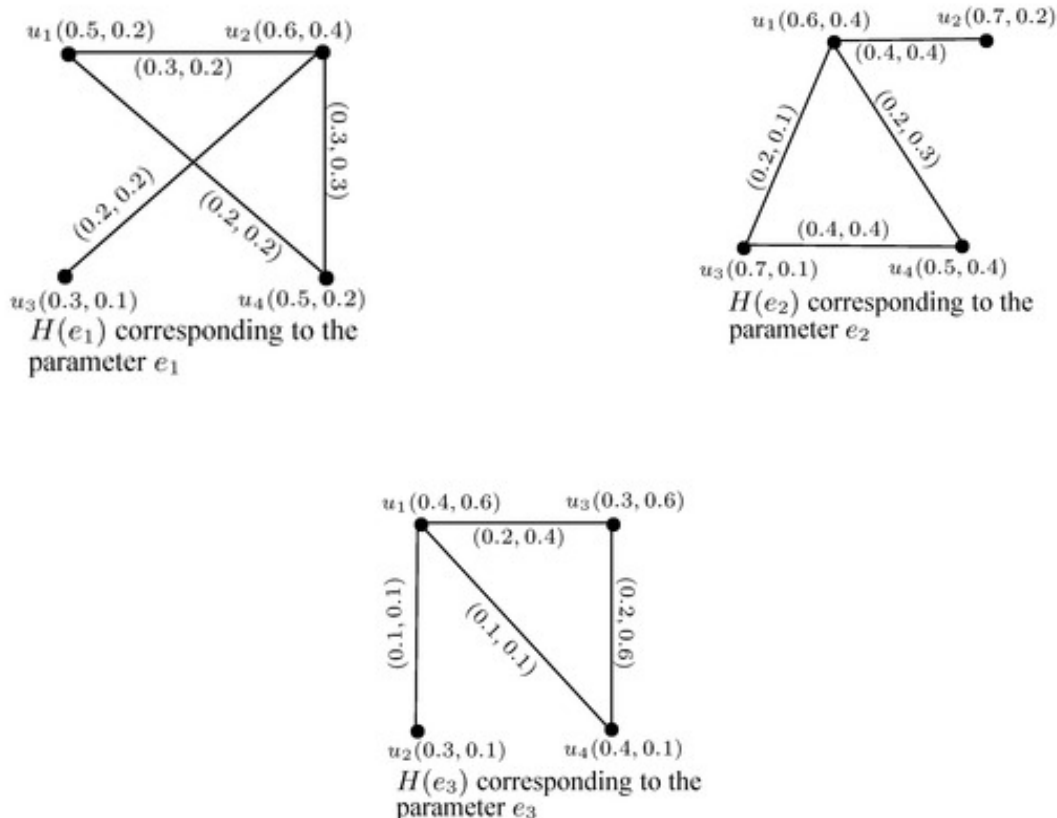


Figure 2: Intuitionistic fuzzy soft graph $G = \{H(e_1), H(e_2), H(e_3)\}$

In the intuitionistic fuzzy diagram $H(e_i)$, the level of edges when i is 1, 2, or 3 is as follows:

$$\deg G(u_1u_2)(e_1) = (0.7, 0.7), \deg G(u_1u_4)(e_1) = \deg G(u_2u_3)(e_1) = (0.5, 0.6), \deg G(u_2u_4)(e_1) = (0.7, 0.6), \quad (7)$$

$$\deg G(u_1u_2)(e_2) = \deg G(u_3u_4)(e_2) = (0.4, 0.4), \deg G(u_1u_3)(e_2) = (1.0, 1.1), \deg G(u_1u_4)(e_2) = (1.0, 0.9), \quad (8)$$

$$\deg G(u_1u_2)(e_3) = (0.4, 0.6), \deg G(u_1u_4)(e_3) = (0.5, 1.1), \deg G(u_1u_3)(e_3) = (0.4, 0.8), \deg G(u_2u_4)(e_3) = (0.4, 0.6) \quad (9)$$

Each set of adjoining edges in intuitionistic fuzzy organizations $H(e_i)$ for $i=1,2,3$ relating to the boundaries e_i for $i=1,2,3$ have particular degrees. This is a reality that can't be denied. The friendly edge unpredictable intuitionistic fuzzy delicate chart is signified by the letter G appropriately.

IV. APPLICATION

To manage vulnerabilities, the surmised capabilities in intuitionistic fuzzy delicate set are subsets of intuitionistic fuzzy sets. The enrollment esteem and the non-participation esteem are used to describe the defined group of intuitionistic fuzzy delicate set. In an extraordinary number of true applications, it is beyond the realm of possibilities to expect to give a careful depiction of an intuitionistic fuzzy chart because of the vagueness of data. While managing mind boggling and equivocal information according to the viewpoint of boundaries, conceding at the same time a participation degree and a non-enrollment degree is more suitable. This is on the grounds that it improves the probability of

accomplishment. Thinking about this viewpoint, intuitionistic fuzzy delicate diagrams are used in dynamic challenges to accomplish unrivaled results.

It is noticed that intuitionistic fuzzy diagrams are tended to concerning the vulnerability that exists in an assortment of genuine events; by the by, intuitionistic fuzzy delicate sets are provided determined to give a more summed up and precise estimation portrayal of things. Our show centers around the utilization of an intuitionistic fuzzy delicate diagram with regards to a dynamic deterrent. Throughout recent years, the issue of article acknowledgment has been offered the highest level of consideration. As per one translation, the acknowledgment issue can be perceived as a dynamic issue, in which a definitive ID of the not entirely set in stone by the data that is presently open.

We make use of the method in order to compute the score for the chosen items by taking into account k parameters (i.e., i_1, i_2, i_3, i_4) out of n total objects (i_1, i_2, i_3, i_4) among the total number of objects. It is the goal of a software company to choose the best software development project, which is defined as a project that has the largest potential to benefit the business, requires the least amount of effort, and has the highest likelihood of being successful. Consider the following set of software development projects: $V = \{E\text{-business improvement project, Custom advancement project, Applications advancement project, Game advancement project, Program improvement project, Web improvement project, Framework coordination improvement project}\}$.

These are the projects that are being considered. Consider the set of decision parameters M , where e_1 represents "ensure project success," e_2 represents "technological feasibility," and e_3 represents "economic viability." These parameters correspond to the vertex set. There, sssssProject for the growth of electronic commerce E-commerce development project, applications development project, and custom development project are all examples of projects that fall under the category of "customization."

E-commerce development project, as well as Project for the Development of Games Application development project, as well as browser development project Application development project, as well as web development responsibilities Projects for the development of browsers and computers, as well as games Project for the development of browsers, project for the development of browsers The project of developing the web, the project of developing the web project for the development of system integration, project for the development of games The link between two applicants, which corresponds to the parameters $e_1, e_2,$ and $e_3,$ is described by the system integration development project, which is denoted by the symbol $\subseteq V \times V$.

Table 1: Tabular depiction of a fuzzy soft graph with intuition

Φ	E-commerce	Custom	Browser	Applications	System Integration	Game	Web
e_1	(0.7,0.3)	(0.6,0.5)	(0.9,0.2)	(0.4,0.5)	(0.8,0.3)	(0.5,0.4)	(0.3,0.4)
e_2	(0.4,0.6)	(0.7,0.4)	(0.7,0.3)	(0.7,0.3)	(0.5,0.3)	(0.7,0.3)	(0.9,0.3)
e_3	(0.8,0.3)	(0.5,0.4)	(0.7,0.3)	(0.7,0.2)	(0.9,0.2)	(0.6,0.5)	(0.5,0.4)

Table 1: (a) Intuitionistic Fuzzy Soft Graph - Ψ

Ψ	E-commerce Custom	E-commerce Browser	E-commerce Web	E-commerce System Integration	Custom Game
e_1	(0.5,0.4)	(0.6,0.3)	(0.3,0.4)	(0.0,0.0)	(0.5,0.4)
e_2	(0.4,0.5)	(0.0,0.0)	(0.3,0.4)	(0.0,0.0)	(0.6,0.4)
e_3	(0.0,0.0)	(0.6,0.3)	(0.5,0.4)	(0.7,0.3)	(0.4,0.5)

Table 1: (b) Intuitionistic Fuzzy Soft Graph - Ψ

Ψ	System Integration Custom	Applications Game	Applications System Integration	Applications Custom
e_1	(0.5,0.4)	(0.3,0.5)	(0.4,0.5)	(0.0,0.0)
e_2	(0.5,0.3)	(0.7,0.4)	(0.0,0.0)	(0.0,0.0)
e_3	(0.0,0.0)	(0.6,0.5)	(0.0,0.0)	(0.3,0.4)

Table 1: (c) Intuitionistic Fuzzy Soft Graph - Ψ

Ψ	E-commerce Applications	System Integration Browser	Browser Applications	Game Web	Browser Custom
e_1	(0.4,0.4)	(0.0,0.0)	(0.0,0.0)	(0.3,0.4)	(0.5,0.2)
e_2	(0.4,0.4)	(0.5,0.3)	(0.7,0.3)	(0.0,0.0)	(0.7,0.3)
e_3	(0.7,0.2)	(0.7,0.3)	(0.0,0.0)	(0.5,0.4)	(0.5,0.4)

Table 1: (d) Intuitionistic Fuzzy Soft Graph - Ψ

Ψ	Browser Web	Game Browser	System Integration Web	Game System Integration	Applications Web
e_1	(0.0,0.0)	(0.0,0.0)	(0.3,0.4)	(0.0,0.0)	(0.0,0.0)
e_2	(0.6,0.3)	(0.6,0.3)	(0.0,0.0)	(0.5,0.4)	(0.0,0.0)
e_3	(0.0,0.0)	(0.0,0.0)	(0.5,0.3)	(0.0,0.0)	(0.6,0.5)

Through the selection of factors such as "ensure project success," "technological feasibility," and "economic viability," our objective is to identify the most suitable development project using the parameters that we have chosen. We think about an intuitionistic fuzzy delicate diagram indicated by the image $G = (\Phi, \Psi, M)$, where (Φ, M) is an intuitionistic fuzzy delicate set over V .

This set indicates the enrollment and non-participation upsides of the ventures in light of the boundaries that are given. An intuitionistic fuzzy delicate set over the set $E \subseteq V \times V$ is utilized to characterize the enrollment and non-participation upsides of the connection between two undertakings. These qualities compare to the boundaries e_1 , e_2 , and e_3 , which are provided. In Table 1, an intuitionistic fuzzy delicate chart signified by the situation $G = \{H(e_1), H(e_2), H(e_3)\}$ is introduced.

Introduced here are the intuitionistic fuzzy diagrams $H(e_1)$, $H(e_2)$, and $H(e_3)$ of the intuitionistic fuzzy delicate chart $G = \{H(e_1), H(e_2), H(e_3)\}$. These charts relate to the boundaries e_1 ="ensure project achievement," e_2 ="technological achievability," and e_3 ="economic practicality."

A resultant intuitionistic fuzzy chart $H(e)$ is gotten by taking the crossing point of three intuitionistic fuzzy diagrams, specifically $H(e_1)$, $H(e_2)$, and $H(e_3)$. The equation for this graph is $e=e_1 \wedge e_2 \wedge e_3$. The resultant intuitionistic fuzzy graph has an adjacency matrix that is calculated as follows:

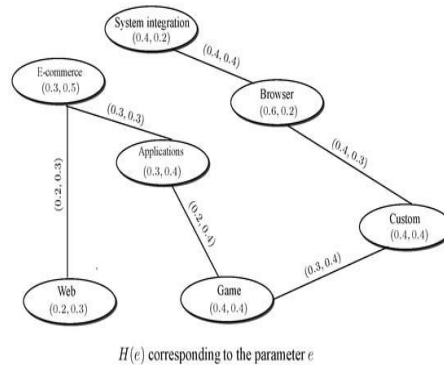


Figure 3: Intuitionistic fuzzy graph $H(e)$, where $e=e_1 \wedge e_2 \wedge e_3$

$$H(e) = \begin{pmatrix} (0,0) & (0,0) & (0,0) & (0.4,0.4) & (0.4,0.4) & (0.4,0.4) & (0.3,0.4) \\ (0,0) & (0,0) & (0.5,0.4) & (0,0) & (0,0) & (0.4,0.5) & (0,0) \\ (0,0) & (0.5,0.4) & (0,0) & (0,0) & (0.4,0.4) & (0,0) & (0,0) \\ (0.4,0.4) & (0,0) & (0,0) & (0,0) & (0,0) & (0.3,0.5) & (0,0) \\ (0,0) & (0,0) & (0.4,0.4) & (0,0) & (0,0) & (0,0) & (0,0) \\ (0,0.0) & (0.4,0.5) & (0,0.0) & (0.3,0.5) & (0,0.0) & (0,0.0) & (0,0.0) \\ (0.3,0.4) & (0,0) & (0,0) & (0,0) & (0,0) & (0,0) & (0,0) \end{pmatrix} \quad (10)$$

The score function is used to compute the score values of the consequent intuitionistic fuzzy graph, which is denoted by the symbol $p(i)$:

$$S_{ij} = \frac{\sqrt{\mu_j^2 + (v_{j-1})^2 + \pi_j^2}}{\sqrt{\mu_j^2 + (v_{j-1})^2 + \pi_j^2} + \sqrt{(\mu_{j-1})^2 + (v_j)^2 + \pi_j^2}} \quad (11)$$

and $S_{ij} \in [0,1] \in [0,1]$ These numbers are presented in Table 2 for your perusal.

Table 2: Table of decisions with choice and score values

E-commerce	Custom	Browser	Applications	System Integration	Game	Web	$m' i$
0.6	0.6	0.6	0.6	0.6	0.6	0.582	3.582
0.6	0.6	0.65	0.6	0.6	0.57	0.6	3.6
0.6	0.65	0.6	0.6	0.6	0.6	0.6	3.65
0.6	0.6	0.6	0.6	0.6	0.544	0.6	3.544
0.6	0.6	0.6	0.6	0.6	0.6	0.6	3.6
0.6	0.57	0.6	0.544	0.6	0.6	0.6	3.40
0.58	0.6	0.6	0.6	0.6	0.6	0.6	3.58

Based on the information provided in Table 2, it can be deduced that the highest possible choice value is $m_3'=3.65$. Thus, the most ideal choice is picking the program advancement project subsequent to deciding the loads for the different variables.

Our methodology is enunciated as a calculation (Calculation 1), which is executed in our application.

Algorithm 1 Track down ideal choice for various boundaries

- 1: **Input:** The selection criteria e_1, e_2, \dots, e_k for the purpose of choosing objects.
- 2: **Input:** The fuzzy soft set with intuitionistic properties (Φ, M) over V and fuzzy soft relation that is intuitive (Ψ, M) on V .
- 3: **Input:** Adjacency matrices $H(e_1), H(e_2), \dots, H(e_k)$ Regarding the parameters.
- 4:
- 5: Determine the adjacency matrix that results $H(e) = \bigcap_k H(e_k)$ for all $e_k \in M$.
- 6: Utilising the score function S_{ij} , determine the score value of the resulting adjacency matrix $H(e)$.
- 7: Calculate the choice values $m'_i = \sum_j S_{ij}$ of each object.
- 8: If $\max_j m'_j = m_j$, then m_j is the decision.
- 9: If j has multiple values, then any one of them may be chosen.

V.CONCLUSION

Numerical, logical, and innovative fields, organic chemistry (genomics), electrical designing (correspondence organizations and coding hypothesis), software engineering (calculations and calculation), and tasks research (planning) are just not many of the fields that can profit from the utilization of chart hypothesis. Delicate set hypothesis is a huge instrument that is used in the subject of math for the reasons for numerical demonstrating, framework examination, and the calculation of dynamic difficulties that include vulnerability. These applications are undeniably connected with the field of math. The field of arithmetic depends intensely on every one of these application regions, which are urgent. When contrasted with the fuzzy delicate model, the intuitionistic fuzzy delicate model, which is a speculation of the fuzzy delicate model, can deliver a framework that is predominant regarding accuracy, adaptability, and similarity. Since the intuitionistic fuzzy delicate model is a speculation of the fuzzy delicate model, this is the justification for why this is the situation. Inside the constraints of this work, we had the option to effectively execute the idea of intuitionistic fuzzy delicate sets and apply them to charts. There are various types of intuitionistic fuzzy delicate diagrams that have been made accessible to you. Any of these choices is accessible to you. It is our goal to broaden the extent of our exploration on fuzzification later on to such an extent that it envelops the accompanying points: (1) fuzzy unpleasant delicate diagrams; (2) fuzzy hypergraphs with bipolar fuzzy qualities; (3) fuzzy harsh fuzzy charts; and (4) the usage of intuitionistic fuzzy delicate charts in choice emotionally supportive network.

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